

**Geometry**

**Conjectures**

**3.2.1** If a point is on the perpendicular bisector of a segment, then it is  
\_\_\_\_\_ from the endpoints.

**3.3.2** - The shortest distance from a point to a line is measured along the  
\_\_\_\_\_ from the point to the line.

**3.4.1** – If a point is on the bisector of an angle, then it is  
\_\_\_\_\_ from the sides of the angle.

**3.4.3** – The measure of each angle of an equilateral triangle is

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**3.8.1** – The three angle bisectors of a triangle

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**3.8.2** – The three perpendicular bisectors of the sides of a triangle

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**3.8.3** – The three altitudes (or lines through the altitudes) of a triangle

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**3.9.1** – The three medians of a triangle \_\_\_\_\_

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**3.9.2** – The centroid of a triangle divides each median into two parts so that the distance from the centroid to the vertex is \_\_\_\_\_  
\_\_\_\_\_ the distance from the centroid to the midpoint.

## Chapter 4

**C-1 (Vertical Angles Conjecture)** If two angles are vertical angles, then they are

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**C-2 (Linear Pair Conjecture)** If two angles are a linear pair of angles, then they are

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**C-3 (Equal Supplements Conjecture)** If two angles are both equal in measure and supplementary, then each angle measures \_\_\_\_\_

**C-4 (Triangle Sum Conjecture)** The sum of the measures of the three angles of every triangle is \_\_\_\_\_

**C-5 (Third Angle Conjecture)** If two angles of one triangle are equal in measure to two angles of another triangle, then the remaining two angles  
\_\_\_\_\_

**C-6** The sum of the measure of the four angles of a quadrilateral is \_\_\_\_\_

**C-7 (Polygon Sum Conjecture)** The sum of the measures of the  $n$  angles of an  $n$ -gon is

**C-8** The measure of each angle of an equiangular  $n$ -gon is

**C-9** The sum of the measures of one set of exterior angles is \_\_\_\_\_

**C-10 (Exterior Angle Conjecture)** The measure of an exterior angle of a triangle equals

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**C-11 (Triangle Inequality Conjecture)** The sum of the lengths of any two sides of a triangle is \_\_\_\_\_ the length of the third side.

**C-12** In a triangle, \_\_\_\_\_

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**C-13 (Isosceles Triangle Conjecture)** If a triangle is isosceles, then the

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**C-14 (Converse of the Isosceles Triangle Conjecture)** If a triangle has two angles of equal measure, then \_\_\_\_\_

**C-15 (Equilateral Triangle Conjecture)** An equilateral triangle is \_\_\_\_\_ and, conversely, an equiangular triangle is \_\_\_\_\_.

**C-16 (CA Conjecture) – Corresponding Angles Conjecture** - If two parallel lines are cut by a transversal, then \_\_\_\_\_

\_\_\_\_\_. Conversely, if two lines are cut by a transversal forming pairs of corresponding angles equal in measure, then \_\_\_\_\_

**C-17 (AIA Conjecture) Alternate Interior Angle Conjecture** – If two parallel lines are cut by a transversal, then \_\_\_\_\_

\_\_\_\_\_.

Conversely, if two lines are cut by a transversal \_\_\_\_\_

\_\_\_\_\_.

**C-18 (AEA Conjecture) Alternate Exterior Angle Conjecture** – If two parallel lines

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Conversely, \_\_\_\_\_

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**C-19 Isosceles Trapezoid Conjecture (Vertical Angles Conjecture)** The base angles of an isosceles trapezoid are \_\_\_\_\_.

**C-20 Triangle Midsegment Conjecture** A midsegment of a triangle is \_\_\_\_\_  
to the third side and \_\_\_\_\_ the length of the \_\_\_\_\_.

**C-21 Trapezoid Midsegment Conjecture** – The midsegment of a trapezoid is  
\_\_\_\_\_ to the bases and is equal in length to \_\_\_\_\_  
\_\_\_\_\_.

**C-22** The \_\_\_\_\_ of a parallelogram are \_\_\_\_\_

**C-23** The \_\_\_\_\_ of a parallelogram are \_\_\_\_\_.

**C-24** The \_\_\_\_\_ of a parallelogram are \_\_\_\_\_.

**C-25** The \_\_\_\_\_ of a parallelogram \_\_\_\_\_.

**C-26** The \_\_\_\_\_ of a rhombus are \_\_\_\_\_  
\_\_\_\_\_ of each other.

**C-27** The \_\_\_\_\_ of rhombus \_\_\_\_\_ the angles of the  
rhombus.

**C-28** The measure of each angle of a rectangle is \_\_\_\_\_.

**C-29** The \_\_\_\_\_ of a rectangle are \_\_\_\_\_.

**C-30 (Coordinate Midpoint conjecture)** - If  $(x_1, y_1)$  and  $(x_2, y_2)$  are the coordinates of the endpoints of a segment, then the coordinates of the midpoint are \_\_\_\_\_.

**C-31 Parallel Slope Conjecture** - In a coordinate plane, two lines are \_\_\_\_\_ if and only if their slopes are \_\_\_\_\_.

**C-32 Perpendicular Slope Conjecture** - In a coordinate plane, two lines are \_\_\_\_\_ if and only if their slopes are \_\_\_\_\_  
\_\_\_\_\_.

## Chapter 5

**C-33 – SSS Congruence Conjecture** – If the three sides of one triangle are congruent to the three sides of another triangle, then \_\_\_\_\_.

**C-34 – SAS Congruence Conjecture** – If two sides and the angle between them in one triangle are congruent to two sides and the angle between them in another triangle, then \_\_\_\_\_.

**C-35 – ASA Congruence Conjecture** – If two angles and the side between them in one triangle are congruent \_\_\_\_\_

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**C-36 - SAA Congruence Conjecture** – If two angles and a side that is not between them in one triangle are congruent to the corresponding \_\_\_\_\_

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**C-37 – Vertex Angle Conjecture** – In an isosceles triangle, the bisector of the vertex angle is also the \_\_\_\_\_ to the base and the \_\_\_\_\_ to the base.

## Chapter 6

**C – 38** If two chords in a circle are congruent, then they determine two central angles that are \_\_\_\_\_.

**C-39** – If two chords in a circle are congruent, then their \_\_\_\_\_ are congruent.

**C- 40** two congruent chords in a circle are \_\_\_\_\_ from the center of the circle.

**C-41** The perpendicular bisector of a chord \_\_\_\_\_.

**C – 42 – (Tangent Conjecture)** A tangent to a circle is perpendicular to the radius drawn to the point of tangency.

**C – 43 – Tangent Segments Conjecture** - Tangent segments to a circle from a point outside the circle are \_\_\_\_\_.

**C – 44 – Inscribed Angle Conjecture** - The measure of an inscribed angle in a circle equals \_\_\_\_\_.

**C- 45 -** Angles inscribed in the same arc are \_\_\_\_\_

**C- 46 –** Every angle inscribed in a semicircle is a \_\_\_\_\_

**C- 47 –** The \_\_\_\_\_ angles of a quadrilateral inscribed in a circle are  
\_\_\_\_\_

C- 48 – Parallel lines intercept \_\_\_\_\_ arcs on a circle.

C – 49 - **Circumference Conjecture** – If  $C$  is the circumference and  $D$  is the diameter of the circle, then there is a number  $\pi$  such that  $C = \underline{\hspace{2cm}}$ . Since  $D = 2r$  where  $r$  is the radius, then  $C = \underline{\hspace{2cm}}$ .

C – 50 – **Arc Length Conjecture** - The arc length equals the \_\_\_\_\_  
\_\_\_\_\_ divided by \_\_\_\_\_, times  
\_\_\_\_\_

**Chapter 7**

**C – 51** A regular polygon of  $n$  sides has \_\_\_\_\_ reflectional symmetries and \_\_\_\_\_ rotational symmetries.

**C – 52** - The \_\_\_\_\_ and only \_\_\_\_\_ regular polygons that create pure tessellations are \_\_\_\_\_, \_\_\_\_\_, and \_\_\_\_\_.

**C- 53** - \_\_\_\_\_ triangle will create a pure tessellation.

C – 54 - \_\_\_\_\_ quadrilateral will create a pure tessellation.

## Chapter 8

C – 55 – **Rectangle Area Conjecture** – The area of a rectangle is given by the formula \_\_\_\_\_ where  $A$  is the area,  $b$  is the length of the base, and  $h$  is the height of the rectangle.

C – 56 – **Parallelogram Area Conjecture** - The area of a parallelogram is given by the formula \_\_\_\_\_ where  $A$  is the area,  $b$  is the length of the base, and  $h$  is the height of the parallelogram.

**C – 57 – Triangle Area Conjecture** – The area of a triangle is given by the formula \_\_\_\_\_ where  $A$  is the area,  $b$  is the length of the base, and  $h$  is the height of the triangle.

**C – 58 – Trapezoid Area Conjecture** – The area of a trapezoid is given by the formula \_\_\_\_\_ where  $A$  is the area,  $b_1$  and  $b_2$  are the lengths of the two bases, and  $h$  is the height of the trapezoid.

**C – 59 – Regular Polygon Area Conjecture** - The area of a regular polygon is given by the formula \_\_\_\_\_ where  $A$  is the area,  $a$  is the apothem,  $s$  is the length of each side, and  $n$  is the number of sides of the regular polygon. Since the length of each side times the number of sides is the perimeter ( $sn = p$ ). The formula can also be written as  $A = (1/2)ap$

**C – 60 – Circle Area Conjecture** - The area of a circle is given by the formula \_\_\_\_\_ where  $A$  is the area and  $r$  is the radius of the circle.

## Chapter 9

**C – 61 – Pythagorean Theorem** – In a right triangle, if  $a$  and  $b$  are lengths of the legs and  $c$  is the length of the hypotenuse, then \_\_\_\_\_

**C – 62 – Converse of Pythagorean Theorem** - If the lengths of the three sides of a triangle work in the Pythagorean formula, then the triangle \_\_\_\_\_.

**C- 63** – If you multiply the lengths of all three sides of any right triangle by the same number the resulting triangle will be a \_\_\_\_\_.

**C – 64** If the lengths of two sides of a right triangle have a common factor, then  
\_\_\_\_\_

**C – 65 – Isosceles Right Triangle Conjecture** – In an isosceles right triangle, if the legs have length  $x$ , then the hypotenuse has length \_\_\_\_\_.

**C – 66 30-60 Right Triangle Conjecture** - In a 30-60 right triangle, if the shorter leg has length  $x$ , then the longer leg has length \_\_\_\_\_.

**C – 67 – Distance Formula** - If the coordinates of points A and B are  $(x_1, y_1)$  and  $(x_2, y_2)$  respectively, then  $AB^2 =$

And  $AB =$

**C – 68** – The midpoint of the hypotenuse of a right triangle is \_\_\_\_\_

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## Chapter 10

**C – 69 – Prism-Cylinder Volume Conjecture** - If  $B$  is the area of the base of a prism or cylinder and  $H$  is the height of the solid, then the formula for the volume is  $V = \underline{\hspace{2cm}}$

**C – 70 – Pyramid-Cone Volume Conjecture** – If  $B$  is the area of the base of a pyramid or cone and  $H$  is the height of the solid, then the formula for the volume is  $V =$

**C – 71 – Sphere Volume Conjecture** - The volume of a sphere with radius  $r$  is given by the formula

## Chapter 11

**C – 72 SSS Similarity Conjecture** - If the three sides of one triangle are proportional to the three sides of another triangle, then the two triangles are \_\_\_\_\_.

**C – 73 – AA Similarity Conjecture** – If \_\_\_\_\_ angles of one triangle are congruent to \_\_\_\_\_ angles of another triangle, then \_\_\_\_\_  
\_\_\_\_\_

**C – 74 – SAS Similarity Conjecture** – If two sides of one triangle are proportional to two sides of another triangle and \_\_\_\_\_  
In one triangle is congruent to the \_\_\_\_\_  
In the other triangle, then the two triangles are similar.

**C – 75 – Proportional Parts Conjecture** – If two triangles are similar, then the corresponding \_\_\_\_\_, corresponding \_\_\_\_\_, and corresponding \_\_\_\_\_ are \_\_\_\_\_ to the corresponding sides.

**C – 76** – The angle bisector in a triangle divides the opposite side into two segments whose lengths are in the same ratio as \_\_\_\_\_.

**C – 77 Proportional Area Conjecture** - If two similar polygons (or circles) have corresponding sides (or radii) in the ratio of  $m/n$ , then their areas are in the ratio of \_\_\_\_\_ / \_\_\_\_\_.

**C – 78 Proportional Volume Conjecture** - If two similar solids have corresponding dimensions in the ratio of  $m/n$ , then their volumes are in the ratio of \_\_\_\_\_ / \_\_\_\_\_.

**C – 79 Parallel Proportionality Conjecture** - If a line parallel to one side of a triangle passes through the other two sides, then it divides them \_\_\_\_\_.  
Conversely, if a line cuts two sides of a triangle proportionally, then it is \_\_\_\_\_ to third side.

**C- 80** If two or more lines pass through two sides of a triangle parallel to the third side, then they divide the two sides \_\_\_\_\_.

## Chapter 15

**C – 81 – Intersecting Chords Conjecture** – The measure of an angle formed by the intersection of two chords in a circle is equal to \_\_\_\_\_

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**C – 82 – Intersecting Secants Conjecture** – The measure of an angle formed by two secants intersecting outside a circle is equal to one-half the \_\_\_\_\_ of the measures of the two intercepted arcs.

**C – 83** – The diagonals of a trapezoid divide each other \_\_\_\_\_

**C – 84** If two chords in a circle intersect, \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_

**C – 85** – If two secants intersect outside a circle, the product of the length of one secant segment and the length of its external part is equal to the product of \_\_\_\_\_  
\_\_\_\_\_

**C – 86** The altitude to the hypotenuse of a right triangle is the \_\_\_\_\_  
\_\_\_\_\_ to the segments on the hypotenuse.